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1(). Sie 1. $\alpha = \delta = \epsilon + \epsilon = 4$ Ste 2. 33, Ste 5. $|\alpha - \alpha| \leq \epsilon = 4$ $\alpha = \alpha - \frac{\alpha}{\alpha} - \frac{\alpha}{\alpha} - \frac{\alpha}{\alpha}$ $\alpha = \alpha - \frac{\alpha}{\alpha} \quad \alpha$ $\alpha = - \alpha^{-1} \quad \Rightarrow \quad \alpha = - \alpha^{-1}$ $\alpha = \alpha$ $\alpha \in \alpha^{*} = \alpha^{*} =$ $\alpha \in \alpha^* \in \mathbb{R}$. ** τα*ε ε ««ε μ, τε «ε **b** -3 - 3 % 3 34

3. Let $\alpha = \alpha$ be a ite ati ce, if $\alpha = a e$ c ti $\alpha^* \epsilon$, a d

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the the ite ati ce i th de c ye ge t at $\alpha^* \in$.

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$$\alpha = \frac{\alpha}{\alpha} \quad \forall \alpha = - \alpha \quad \forall \alpha = 0$$

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